

# Nanomagnetism

## Part 3 – Heterostructures



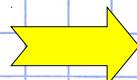
**Olivier Fruchart**

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Grenoble – France

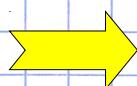
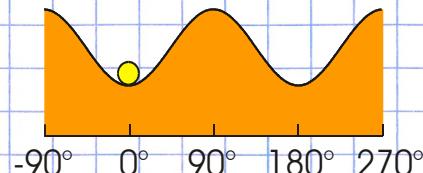
<http://neel.cnrs.fr>

**Micro-NanoMagnetism team :** <http://neel.cnrs.fr/mnm>

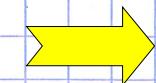
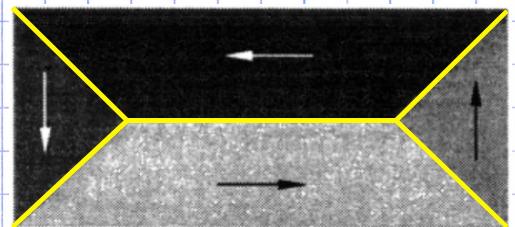




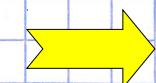
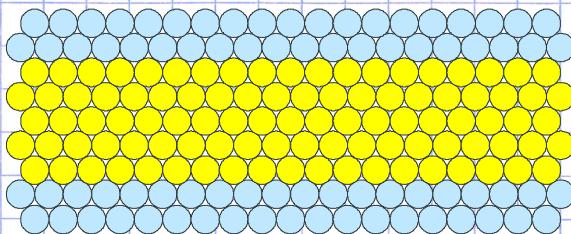
**Part 1 : basics of micromagnetism –  
Simple models of magnetization reversal**



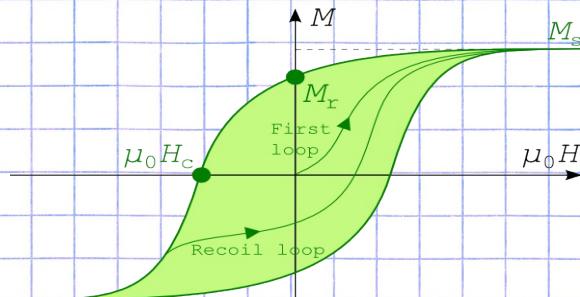
**Part 2 : non-uniform magnetization in  
nanostructure: domains, domain walls**

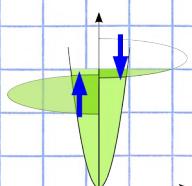


**Part 3 : Low-dimensions,  
interfaces and heterostructures**

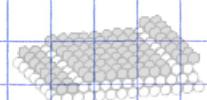


**Part 4 : Learn from  
hysteresis loops**

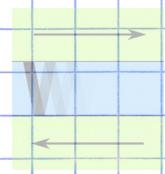




➡ Ordering and moments



➡ Interfacial anisotropy



➡ Heterostructures

## Elements of theory

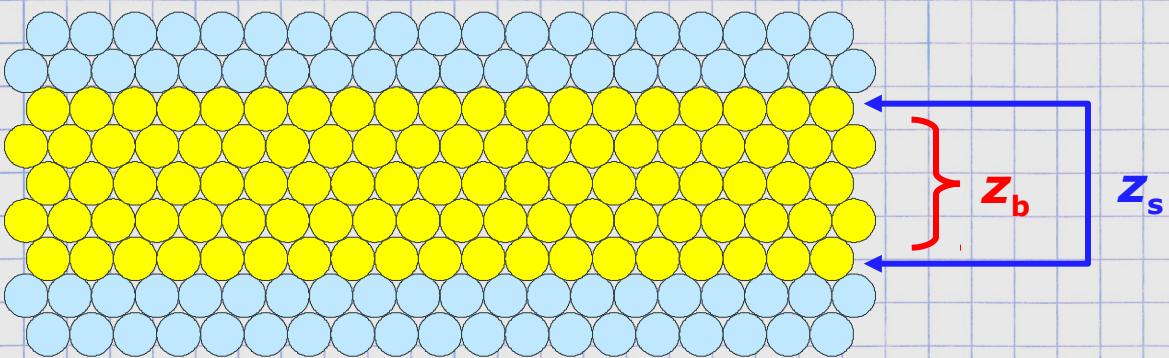
- Ising (1925). No magnetic order at  $T>0K$  in 1D Ising chain.
  - Bloch (1930). No magnetic order at  $T>0K$  in 2D Heisenberg (spin-waves)
  - → N. D. Mermin, H. Wagner, PRL17, 1133 (1966)
  - Onsager (1944) + Yang (1951). 2D Ising model:  $T_c>0K$
- Magnetic anisotropy stabilizes ordering



## Naïve views : mean molecular field

$$T_c = \frac{\mu_0 z n_{W,1} n g_J^2 \mu_B^2 J (J+1)}{3 k_B}$$

$z$  neighbors



$$N \text{ atomic layers : } \langle z \rangle = z_b - \frac{2(z_b - z_s)}{N} \rightarrow \Delta T_c(t) \sim t^{-1}$$

## Less naïve: thickness-dependent mean molecular field

$$\rightarrow \Delta T_c(t) \sim t^{-\lambda}$$

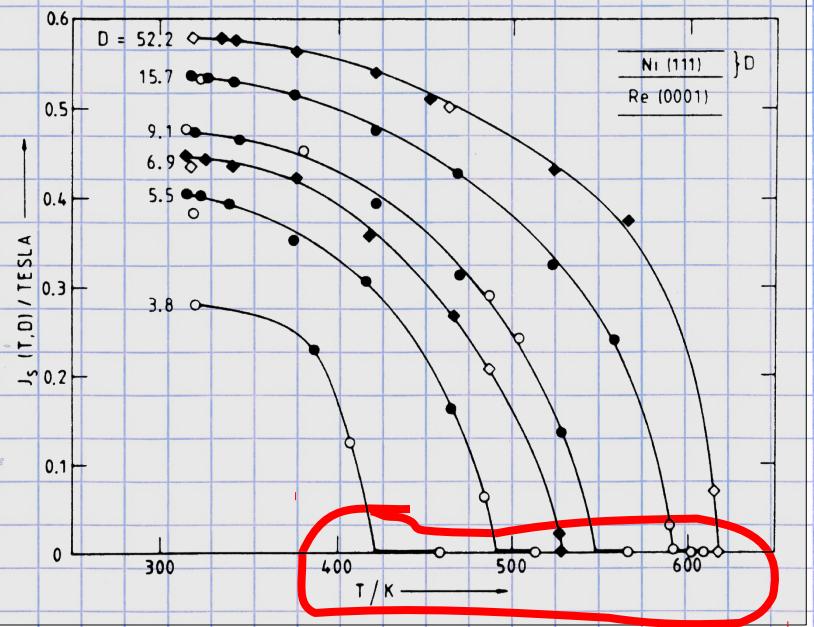
$$\lambda = 1$$

G.A.T. Allan, PRB1, 352 (1970)

**Conclusion:**  
Naïve views are roughly correct

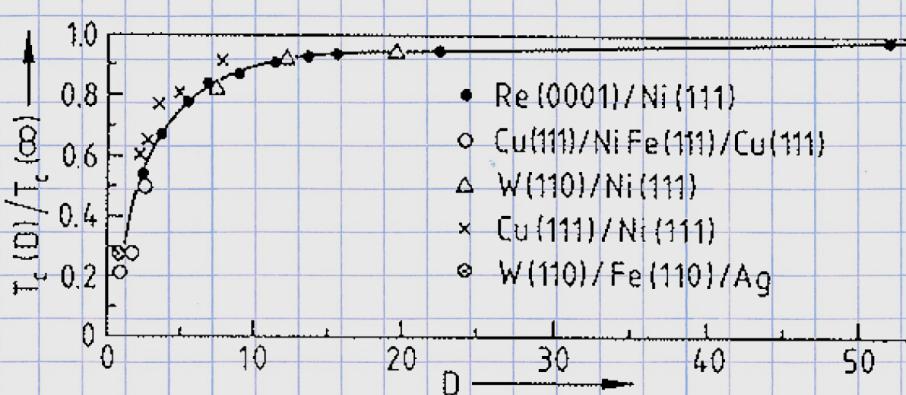
## Qualitative

Ni(111)/Re(0001)



R. Bergholz and  
U. Gradmann,  
JMMM45, 389 (1984)

## Quantitative (molecular field)



T<sub>c</sub> fitted with molecular field :

$$\Delta T_c(t) \sim t^{-1}$$

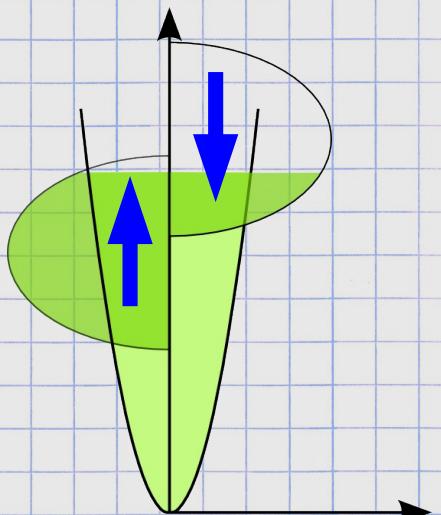
U. Gradmann,  
Handbook of Magn. Mater. Vol.7, ch.1 (1993)

➡ Ordering temperature decreases with thickness  
➡ Noticeable below  $\approx 1\text{nm}$

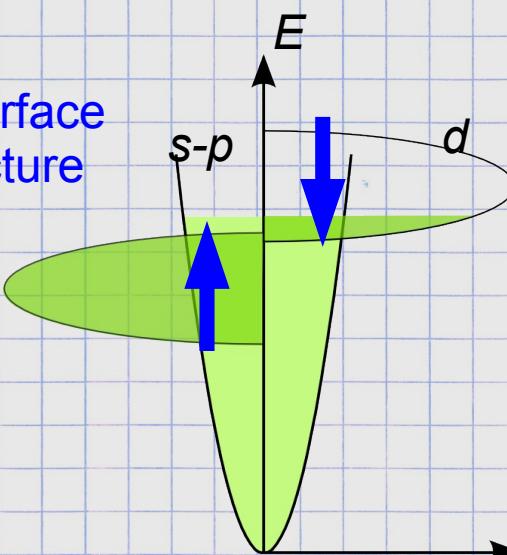
Simple picture: band narrowing at surfaces

Enhanced moment at surfaces

Bulk  
picture

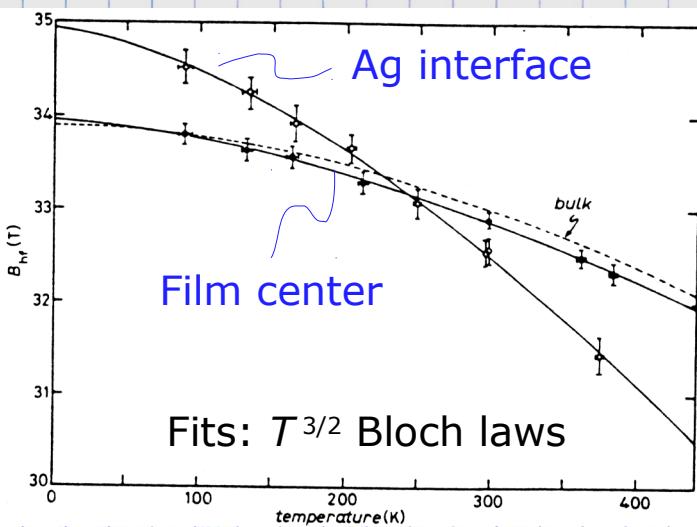


Surface  
picture



In practice:

20-30 %, however  
decays faster with  
temperature



Ag/Fe(110)/W(110)  
U. Gradmann et al.

## Loss of ferromagnetic order

Antiferromagnetism in fcc Fe(001)

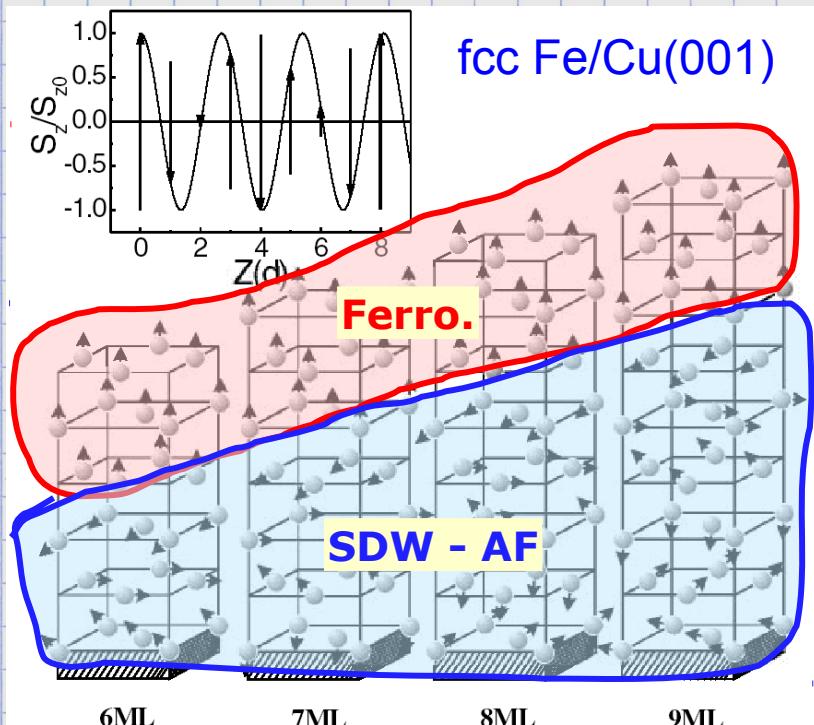


FIG. 4. Magnetic structures proposed for 6, 7, 8, and 9 ML Fe on Cu(100); the inset gives the layer dependent magnetic mo-

D. Qian et al., PRL87, 227204(2001)

H. L. Meyerheim et al., PRL103, 267202 (2009)

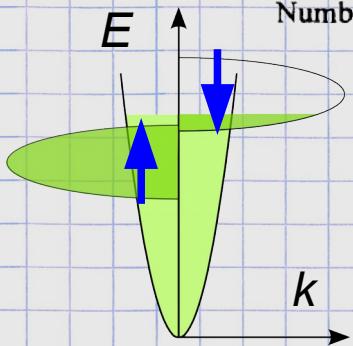
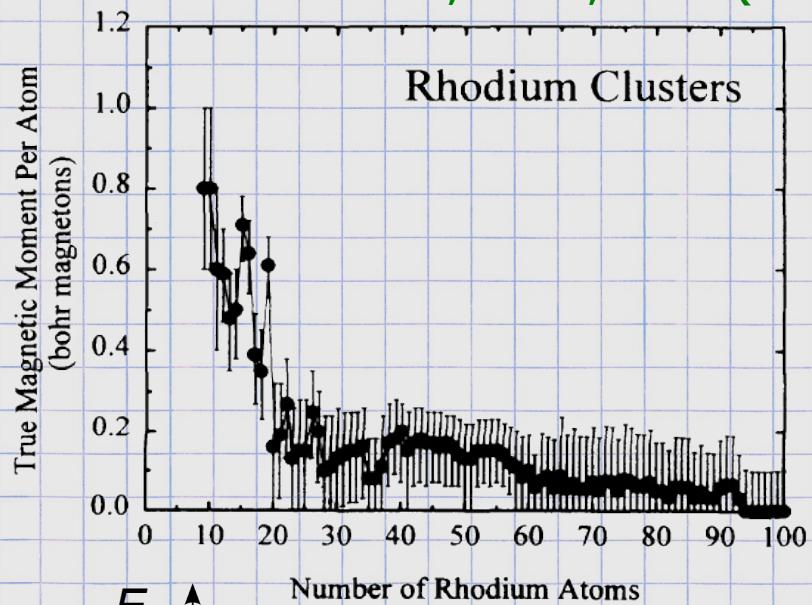
Also high spin phase: V. Cros, EPL49, 807 (2000)

## Gain of ferromagnetic order

Ferromagnetism in small Rh clusters

A. J. Cox et al., PRL71, 923 (1993)

A. J. Cox et al., PRB49, 12295 (1994)

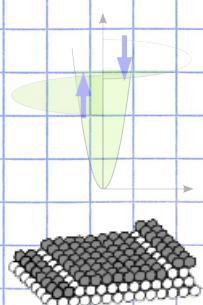


$$I \rho_{\uparrow,\downarrow}(\epsilon_F) > 1$$

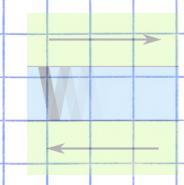
Narrowing of bands  
allows to fulfill  
Stoner criterium



At interfaces and low-dimensions, materials may be a different material !



➡ Ordering and moments



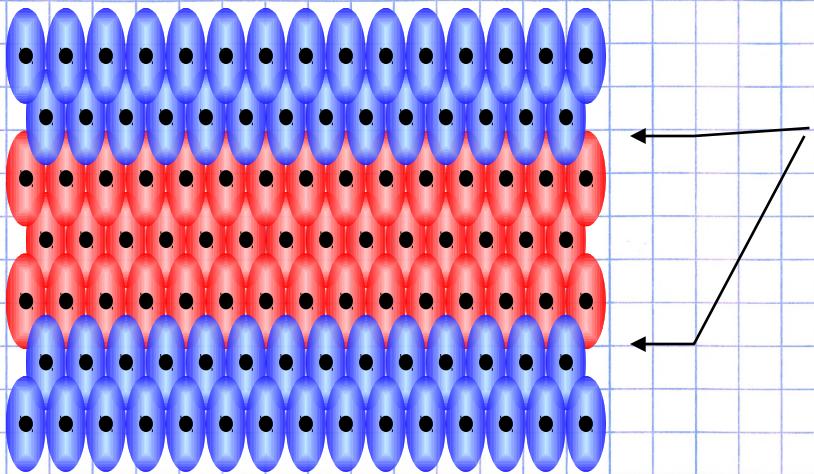
➡ Interfacial anisotropy

➡ Heterostructures

## Surface anisotropy : prediction

L. Néel,  
J. Phys. Radium 15,  
15 (1954)

« Superficial magnetic anisotropy and orientational superstructures »



## Overview

Breaking of symmetry for  
surface/interface atoms

→ Correction to the  
magneto-crystalline energy

$$E_s = K_{s,1} \cos^2 \theta + K_{s,2} \cos^4 \theta + \dots$$

« This surface energy, of the order of 0.1 to 1 erg/cm<sup>2</sup>, is liable to play a significant role in the properties of ferromagnetic materials spread in elements of dimensions smaller than 100Å »

## Phenomenology

## Pair model of Néel:

- $K_s$  estimated from magneto-elastic constants
- Does not depend on interface material
- Yields order of magnitude only: correct value from experiments or calculations (precision !)

## Microscopic understanding

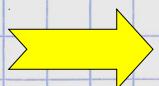
Perturbation theory for 3d metals:

$$\text{MAE} = \alpha \frac{\xi}{4\mu_B} \Delta \mu_L$$

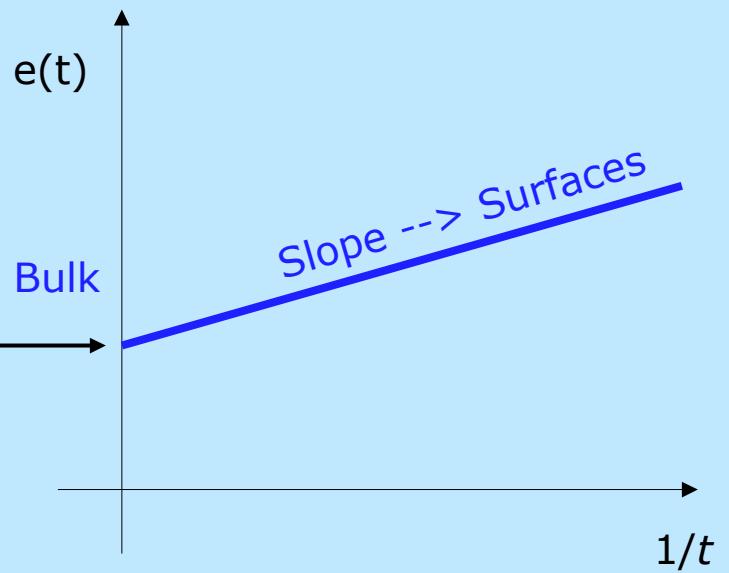
P. Bruno,  
PRB39, 865 (1989)

History of surface anisotropy :  $1/t$  plot

$$\varepsilon(t) = K_v t + 2K_s$$

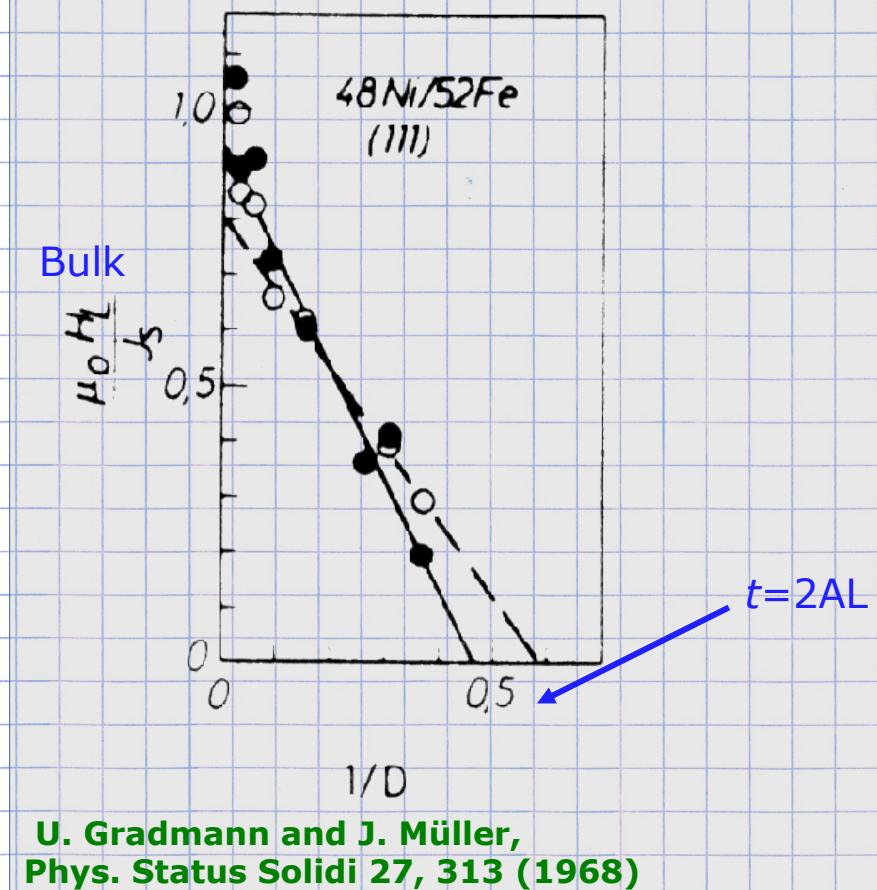


$$E(t) = K_v + \frac{2K_s}{t}$$



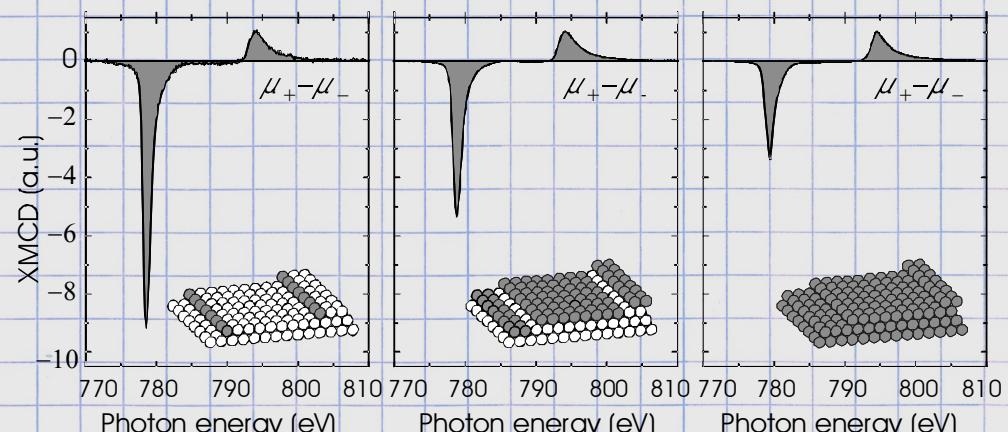
Too simple picture : strain relaxation also yield  $1/t$  law  
Non-linear magneto-elasticity may be important (eg : Co)

## First example of perpendicular anisotropy



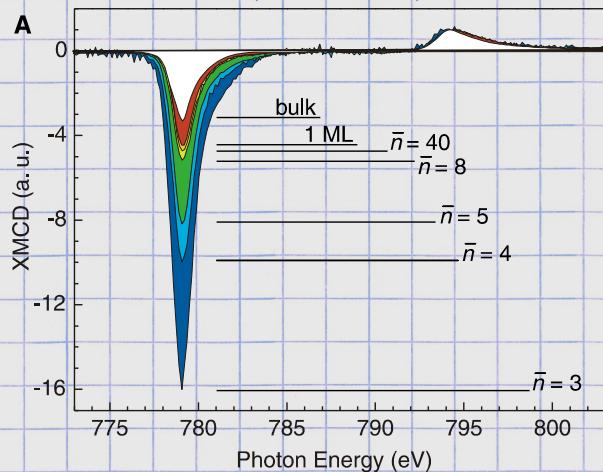
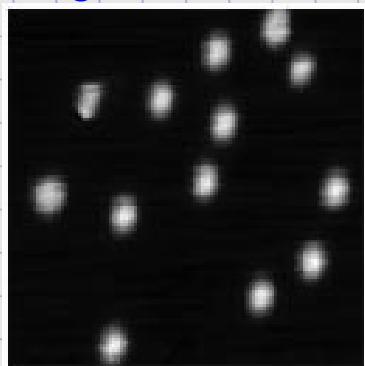
## Experimental systems

Co on vicinal Pt(111) probed by Xray dichroism



P. Gambardella et al., Nature 416, 301 (2002)

Single atoms at surface. STM, 8.5nm, 5.5K



P. Gambardella et al., Science 300, 1130 (2003)

## Results

- Bulk Co:  $40\mu\text{eV}/\text{atom}$
- Co ML:  $140\mu\text{eV}/\text{atom}$
- Co bi-wire:  $0.34\text{meV}/\text{atom}$
- Co wire:  $2\text{meV}/\text{atom}$
- Co bi-atom:  $3.4\text{meV}/\text{atom}$
- Co atom:  $9.2\text{meV}/\text{atom}$

➡ Dramatic dimensional effect

## Practical use : past and trends

⇒ 3d (mostly Co and Co\Ni) with heavy metal (Pt, Au, Pd...). Critical thickness 1-2nm

M. T. Johnson, RPP59, 1409 (1996)  
U. Gradmann, Handbook7, Bushow (1993)

⇒ Bonding with oxide :  $\text{Al}_2\text{O}_3$ ,  $\text{MgO} \dots$  ( $\rightarrow t_c$  up to 3.5nm)

A. Manchon, JAP 103, 07A912 (2008)  
I. G. Rau, Science 344, 988 (2014)

⇒ Interface with graphene

J. Coraux, J. Phys. Chem. Lett. 3, 2059 (2012)

## What use ?

- ⇒ Well-defined anisotropy  
→ do not need exact elliptic shape, better for down-scaling
- ⇒ High magnitude of anisotropy  
→ better stability
- ⇒ Provides out-of-plane polarizer for spintronics
- ⇒ Etc.

## Materials

- ⇒ 'Bulk-like magnetoelasticiv' : Co/Ni, NiPd etc.
- ⇒ Interface : 3d + heavy elements for large spin-orbit coupling : Co/Au, Co/Pt, Co/Pd
- ⇒ Interface (more recent)
  - 3d / oxydes (MgO, Al<sub>2</sub>O<sub>3</sub>)
  - 3d / graphene

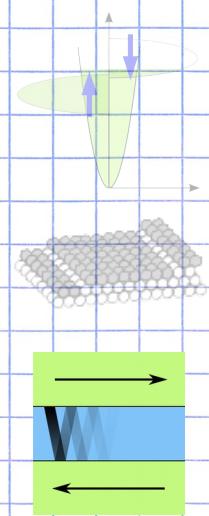
## Figures

- ⇒ Interfaces 3d / heavy interfaces : up to 1-2nm
- ⇒ Interfaces 3d / oxide & graphene : up to 3-4nm
- ⇒ Multilayers : tens of nanometers

A. Manchon, JAP 103, 07A912 (2008)  
 I. G. Rau, Science 344, 988 (2014)  
 J. Coraux, J. Phys. Chem. Lett. 3, 2059 (2012)

M. T. Johnson et al., Magnetic anisotropy in metallic multilayers, Rev. Prog. Phys. 59, 1409 (1996)

U. Gradmann, Magnetism in ultrathin transition metal films, in Handbook of Magnetism, K. H. J. Buschow (ed.), Elsevier Science Publishers, (1993)



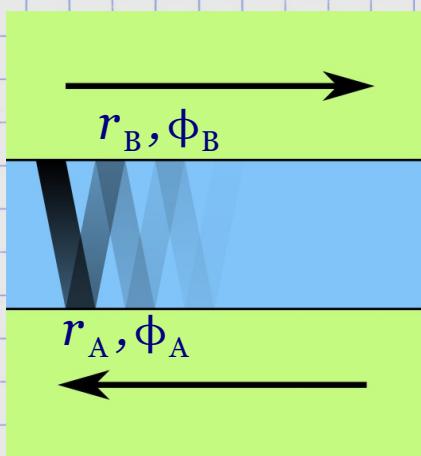
➡ Ordering and moments

➡ Interfacial anisotropy

➡ Heterostructures

## The physics

Spin-dependent quantum confinement  
in the spacer layer



Forth & back  
phase shift  
 $\Delta\phi = qt + \phi_A + \phi_B$

Spin-independent  
 $q = k^+ - k^-$

Spin-dependent  
 $r_A, \phi_A, r_B, \phi_B$

Constructive or destructive  
interferences depending on spacer  
thickness

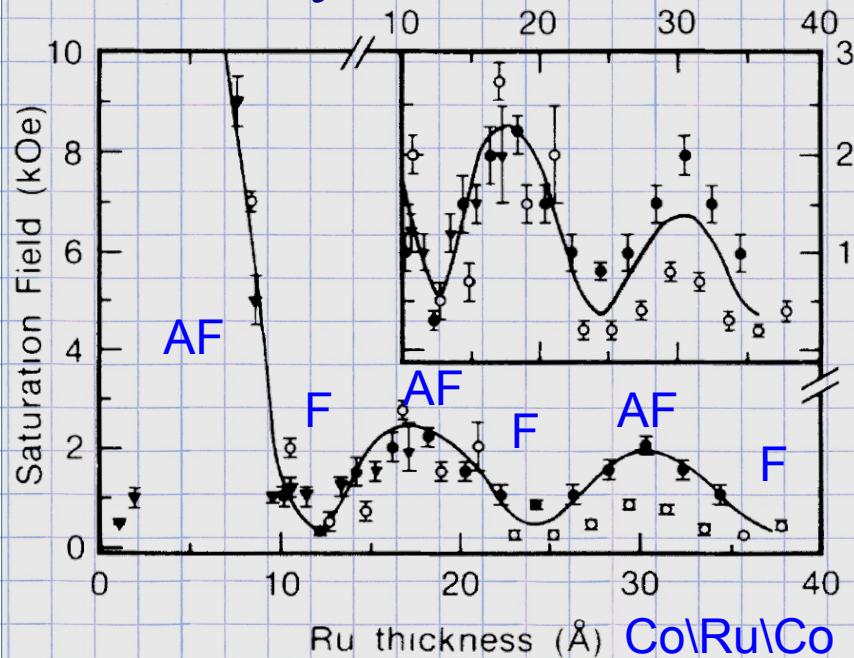
## Illustration

Coupling strength:

$$E_s = J(t) \cos \theta \quad \text{in } \text{J/m}^2$$

$$\theta = \langle m_1, m_2 \rangle$$

$$\text{with: } J(t) = \frac{A}{t^2} \sin(q_\alpha t + \Psi)$$



S. S. P. Parkin et al., PRL64, 2304 (1990)

P. Bruno, J. Phys. Condens. Matter 11, 9403 (1999)

Ti	V	Cr	Mn	Fe	Co	Ni	Cu
No Coupling	9	3	7	7			
	0.1	9	.24	18			
2.89	2.62	2.50	2.24	2.48	2.50	2.49	2.56
Zr	Nb	Mo	Tc	Ru	Rh	Pd	Ag
No Coupling	9.5	2.5	5.2	3			
	.02	*	.12	11			
3.17	2.86	2.72	2.71	2.65	2.69	2.75	2.89
Hf	Ta	W	Re	Os	Ir	Pt	Au
No Coupling	7	2	5.5	3	4.2	3.5	
	.01	*	.03	*	.41	10	
3.13	2.86	2.74	2.74	2.68	2.71	2.77	2.88

fcc

hcp

bcc

complex cubic

Element

$A_1$	$\Delta A_1$
(Å)	(Å)
$J_1$	P
(eV/cm³)	(Å)
$r_{ws}$	
(Å)	

$$J(t) = \frac{A}{t^2} \sin\left(\frac{2\pi t}{P} + \Psi\right)$$

## Illustration of coupling strength

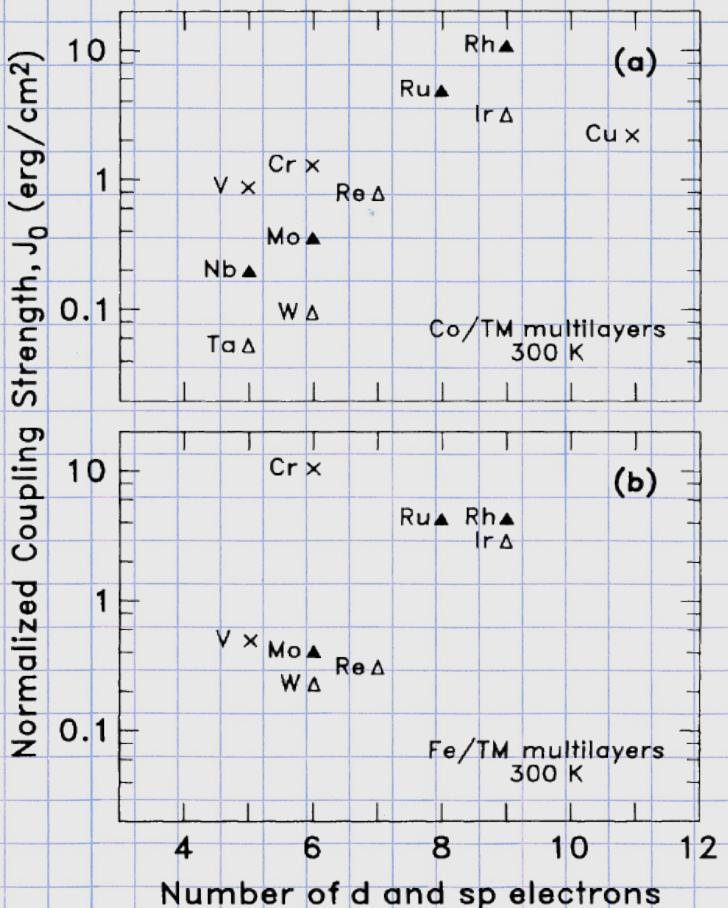


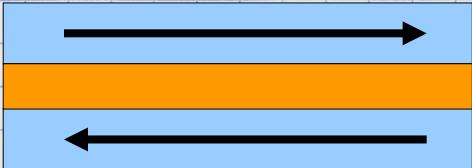
FIG. 3. Dependence of the normalized exchange coupling constant on the 3d, 4d and 5d transition metals in (a) Co/TM and (b) Fe/TM multilayers.

Note:  $J(t)$  extrapolated for  $t=3\text{\AA}$

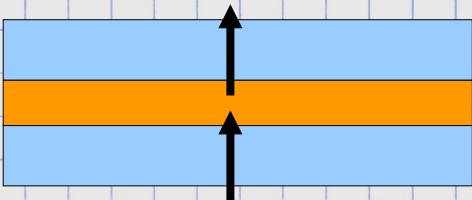
S. S. P. Parkin, Phys. Rev. Lett. 67, 3598 (1991)

### Stacked dots : dipolar coupling

In-plane magnetization



Out-of-plane magnetization



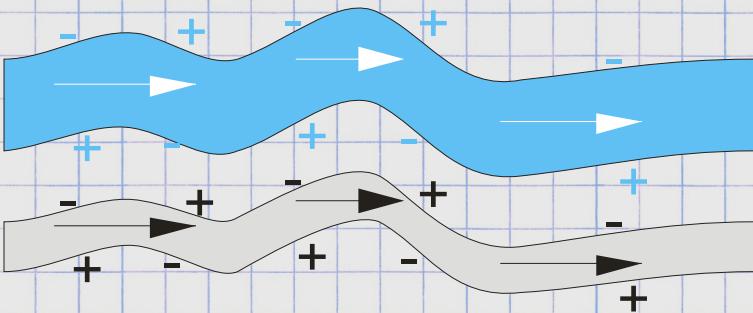
**Hint:**

An upper bound for the dipolar coupling is the self demagnetizing field

**Notice:** similar situation as for RKKY coupling

### Stacked dots : orange-peel coupling

In-plane magnetization



Always parallel coupling

L. Néel, C. R. Acad. Sci. 255, 1676 (1962)  
(valid only for thick films)

J. C. S. Kools et al., J. Appl. Phys. 85, 4466 (1999)  
(valid for any films)

Out-of-plane magnetization

May be parallel or antiparallel

J. Moritz et al., Europhys. Lett. 65, 123 (2004)

## Synthetic Ferrimagnets (SyF) – Crude description



Hypothesis:

- ⇒ Two layers rigidly coupled
- ⇒ Reversal modes unchanged
- ⇒ Neglect dipolar coupling



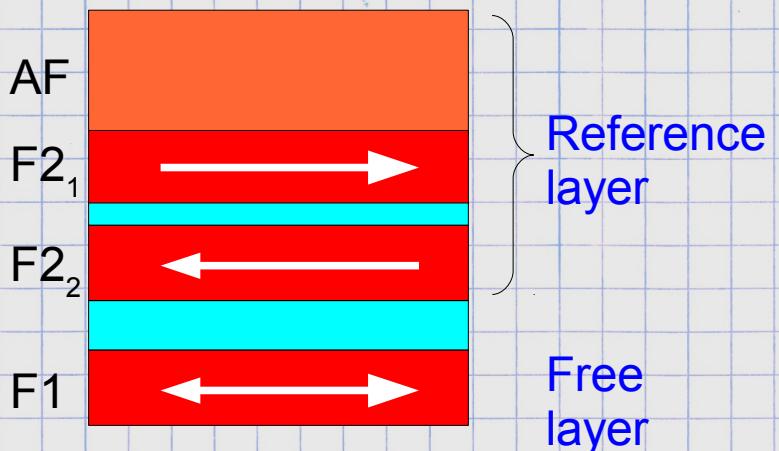
$$M = \frac{|e_1 M_1 - e_2 M_2|}{e_1 + e_2}$$

$$K = \frac{e_1 K_1 + e_2 K_2}{e_1 + e_2}$$

$$H_c = \frac{e_1 M_1 H_{c,1} + e_2 M_2 H_{c,2}}{|e_1 M_1 - e_2 M_2|}$$

## What use?

- ⇒ Increase coercivity of layers
- ⇒ Decrease intra- and inter-dot dipolar coupling

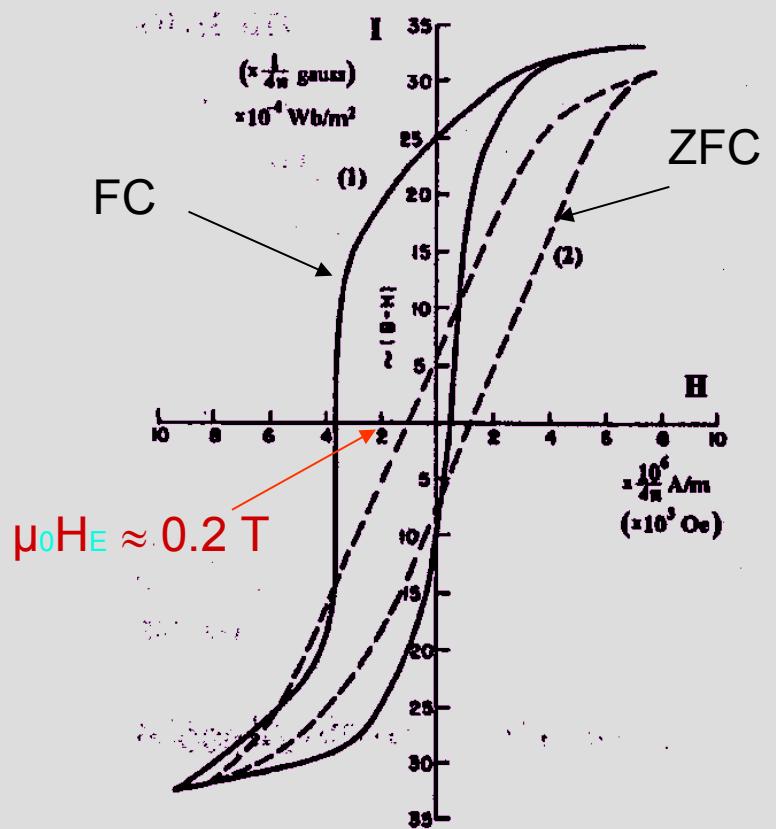


## Practical aspects

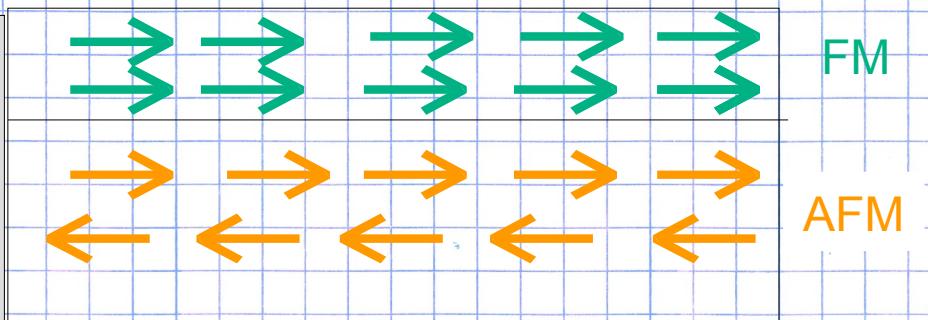
- ⇒ Ru spacer layer (largest effect)
- ⇒ Control thickness within a few Angströms !

## Seminal studies

## Oxidized Co nanoparticles



**Meiklejohn and Bean,**  
**Phys. Rev. 102, 1413 (1956),**  
**Phys. Rev. 105, 904, (1957)**



## Field-cooled hysteresis loops

- ➡ Shift in field
- ➡ Increase coercivity

## Exchange bias

**J. Nogués and Ivan K. Schuller**  
**J. Magn. Magn. Mater. 192 (1999) 203**

**Exchange anisotropy—a review**  
**A E Berkowitz and K Takano**  
**J. Magn. Magn. Mater. 200 (1999)**

## Increase coercivity of layers



Crude approximation for thin layers:

$$H_{F-AF} \approx H_F \left( 1 + \frac{K_{AF} t_{AF}}{K_F t_F} \right)$$

## Application

Concept of spin-valve in magneto-resistive elements

FeMn		Lớp hâm (phản sắt từ)
NiFe/Co		Lớp bị hâm (sắt từ)
Cu		Lớp trung gian (phi từ)
Co/NiFe		Lớp tự do (sắt từ)

B. Diény et al., Phys. Rev. B 43, 1297 (1991)

- ➡ Sensors
- ➡ Memory cells
- ➡ Etc.